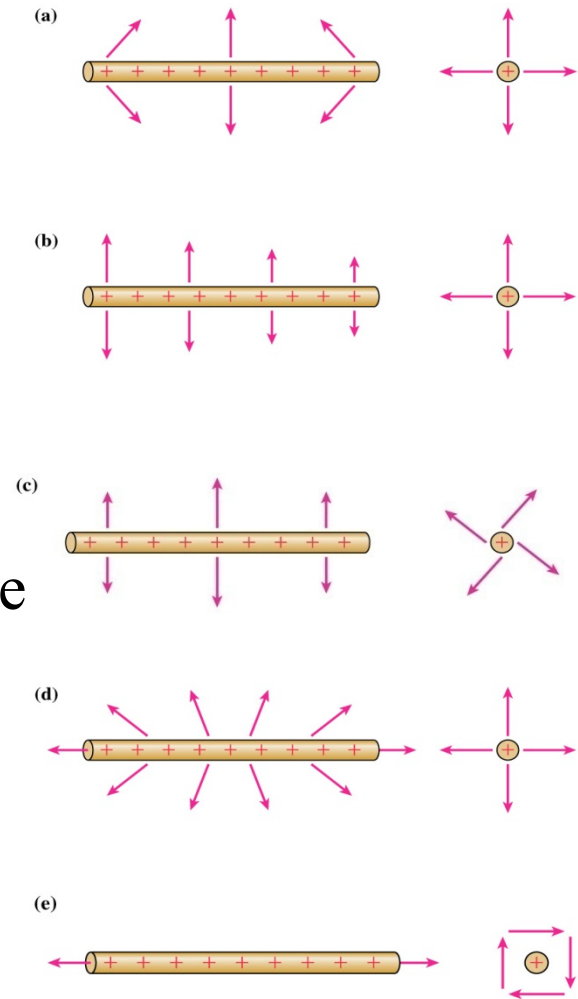


Clicker Session –  
Gauss' Law

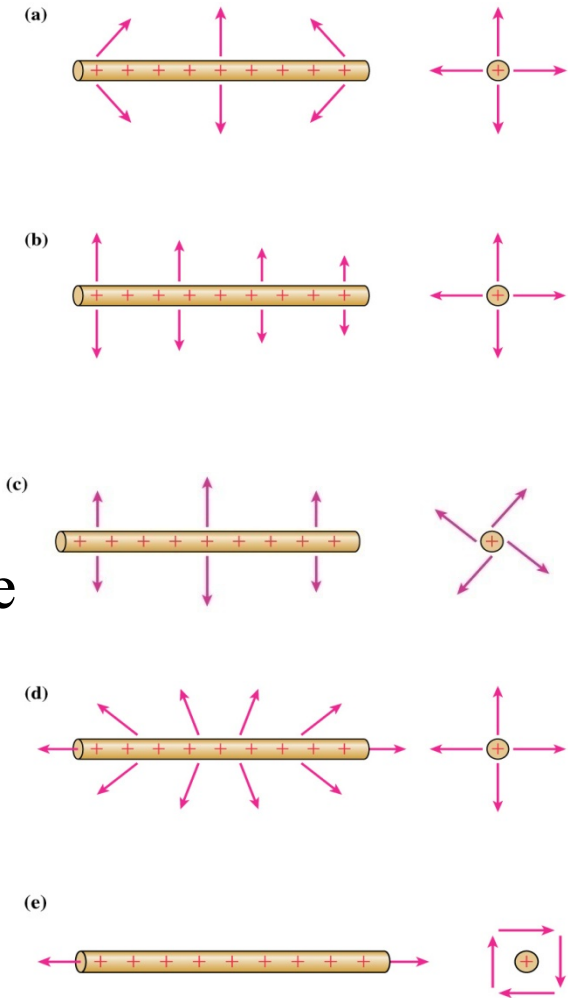
A uniformly charged rod has a *finite* length  $L$ . The rod is symmetric under rotations about the axis and under reflection in any plane containing the axis. It is *not* symmetric under translations or under reflections in a plane perpendicular to the axis other than the plane that bisects the rod. Which field shape or shapes match the symmetry of the rod?

- A. a and d
- B. c and e
- C. b only
- D. e only
- E. none of the above



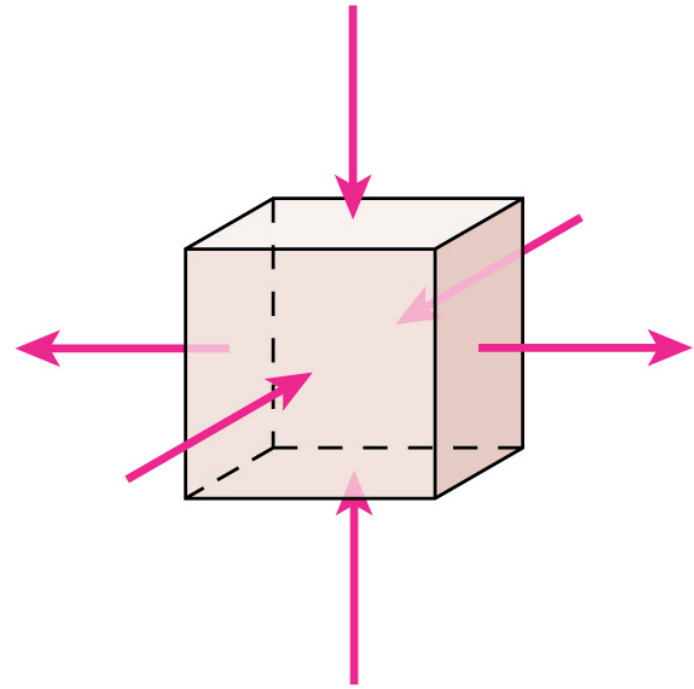
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- ✓ **A. a and d**
- B. c and e
- C. b only
- D. e only
- E. none of the above



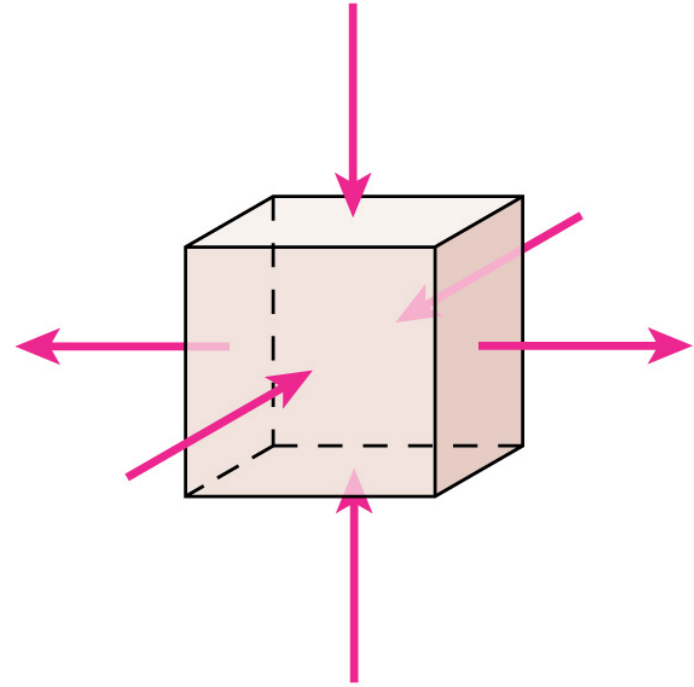
This box contains

- A. a net positive charge.
- B. no net charge.
- C. a net negative charge.
- D. a positive charge.
- E. a negative charge.



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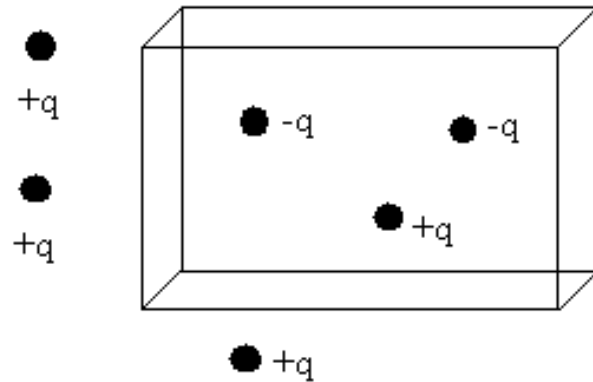
This box contains



- A. a net positive charge.
- B. no net charge.
- ✓ C. a net negative charge.
- D. a positive charge.
- E. a negative charge.

What is the total flux through the rectangular prism surface and charge configuration below?

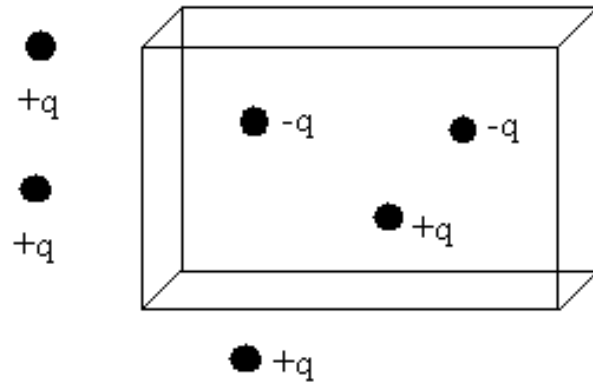
1. 0
2.  $-q/\epsilon_0$
3.  $q/\epsilon_0$
4.  $2q/\epsilon_0$
5. Not enough symmetry to easily calculate



What is the total flux through the rectangular prism surface and charge configuration below?

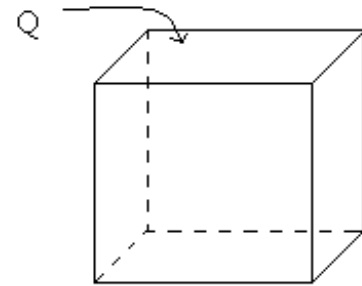


1. 0
2.  $-q/\epsilon_0$
3.  $q/\epsilon_0$
4.  $2q/\epsilon_0$
5. Not enough symmetry to easily calculate



Which Gaussian surface would allow you to use Gauss's law to determine the electric field outside a uniformly charged cube?

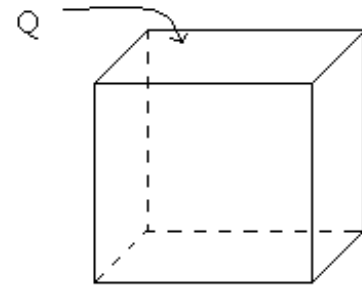
- A. A sphere whose center coincides with the center of the charged cube.
- B. A cube whose center coincides with the center of the charged cube and which has parallel faces.
- C. Either A or B.
- D. Neither A nor B.





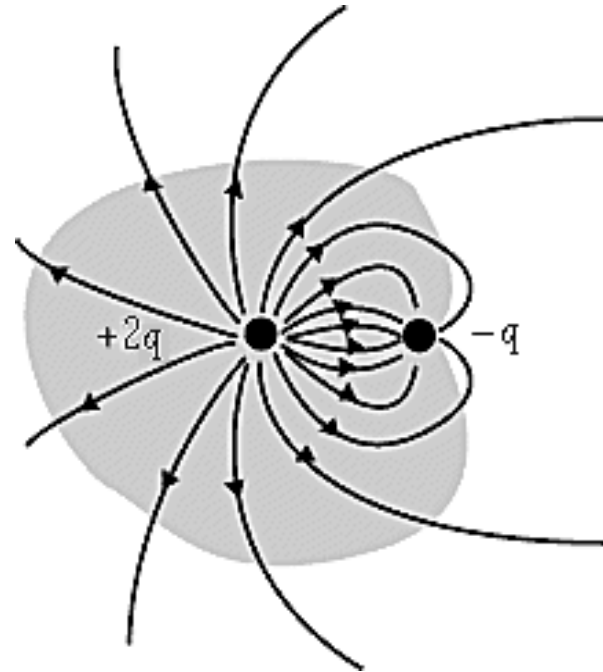
Which Gaussian surface would allow you to use Gauss's law to determine the electric field outside a uniformly charged cube?

- A. A sphere whose center coincides with the center of the charged cube.
- B. A cube whose center coincides with the center of the charged cube and which has parallel faces.
- C. Either A or B.
- D. Neither A nor B.**



The figure shows a surface enclosing the charges  $2q$  and  $-q$ . The net flux through the surface surrounding the two charges is

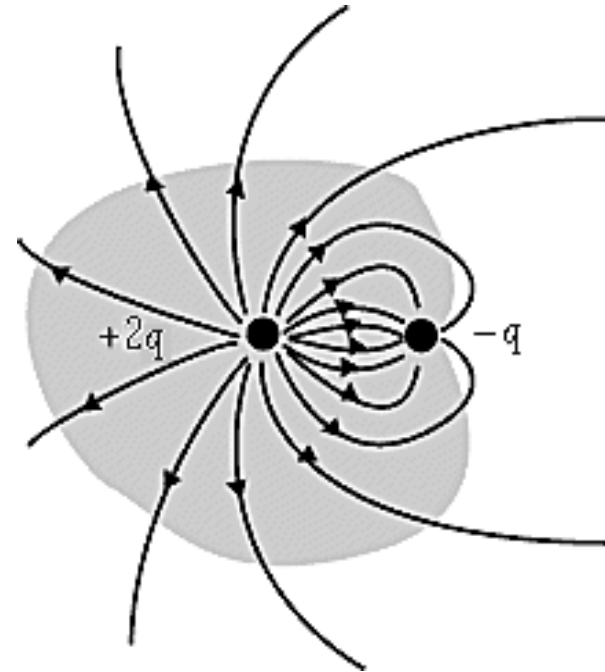
- A)  $q/\epsilon_0$ ,
- B)  $2q/\epsilon_0$
- C)  $-q/\epsilon_0$
- D) Zero
- E) None of these is correct.

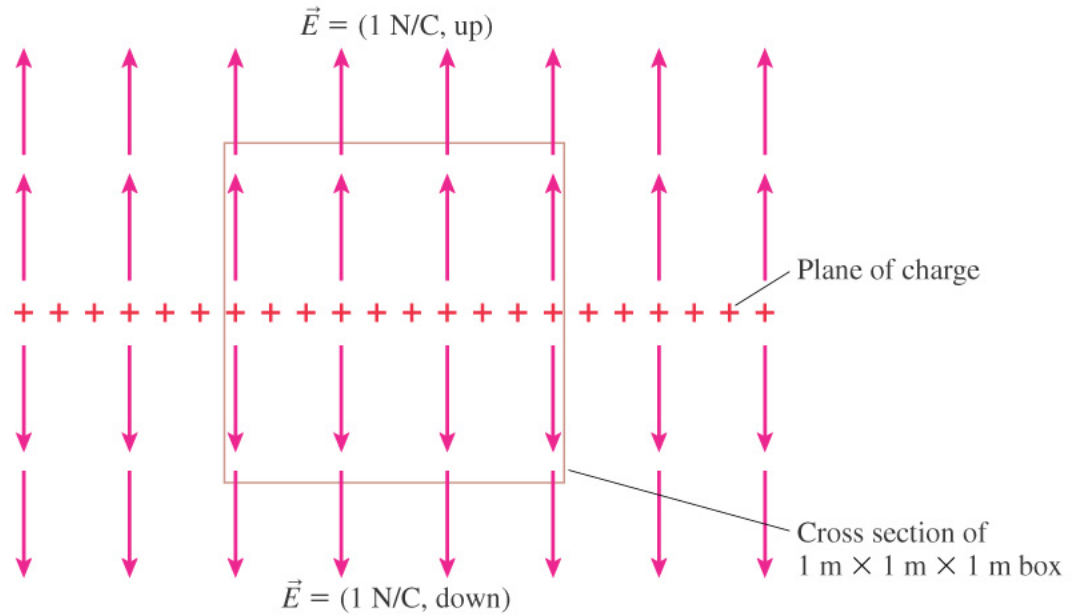


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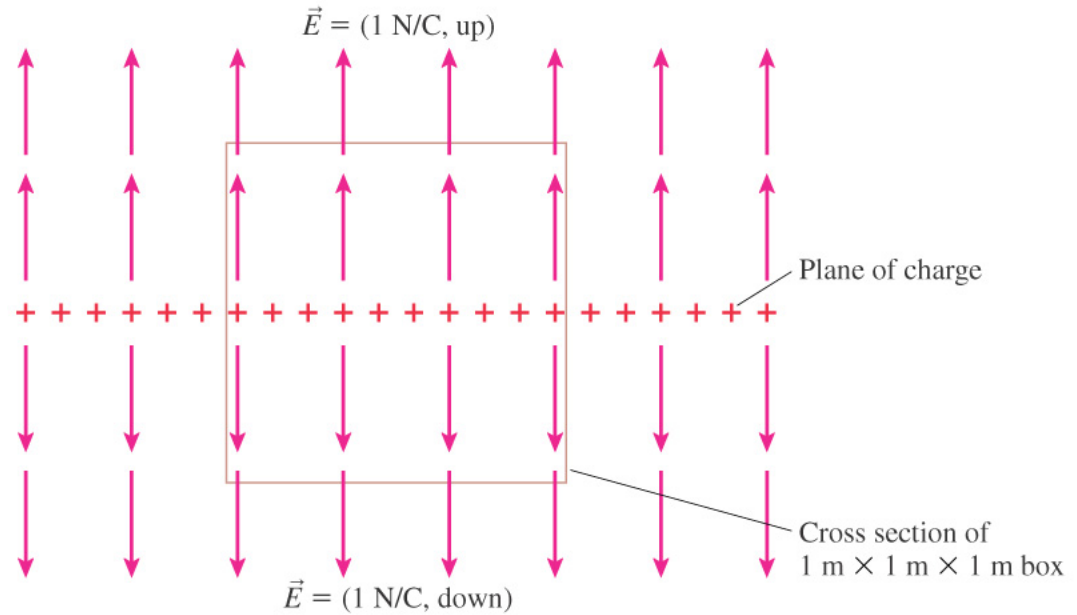
- A)  $q/\epsilon_0$ ,
- B)  $2q/\epsilon_0$
- C)  $-q/\epsilon_0$
- D) Zero
- E) None of these is correct.





The total electric flux through this box is

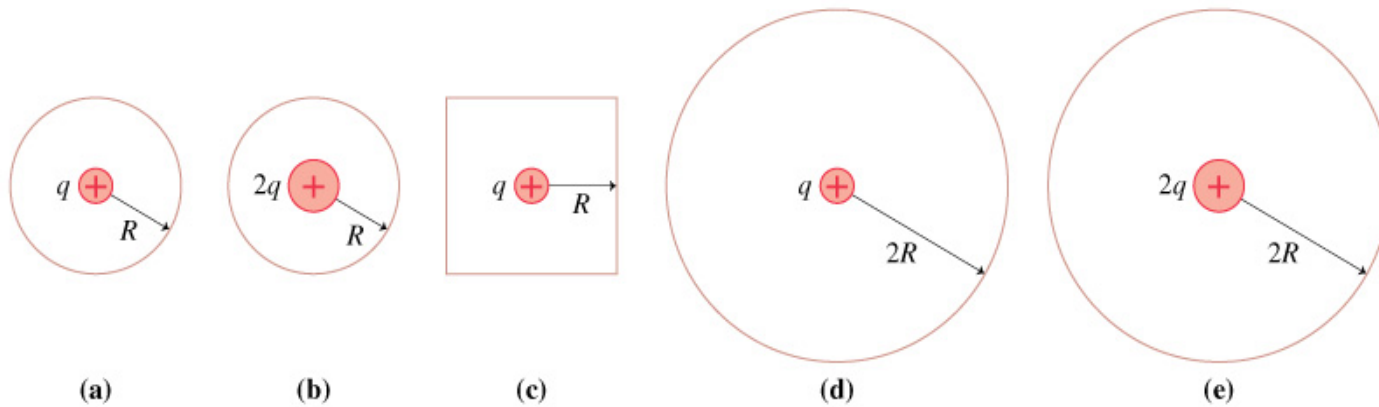
- A. 0  $\text{Nm}^2/\text{C}$ .
- B. 1  $\text{Nm}^2/\text{C}$ .
- C. 2  $\text{Nm}^2/\text{C}$ .
- D. 4  $\text{Nm}^2/\text{C}$ .
- E. 6  $\text{Nm}^2/\text{C}$ .



The total electric flux through this box is

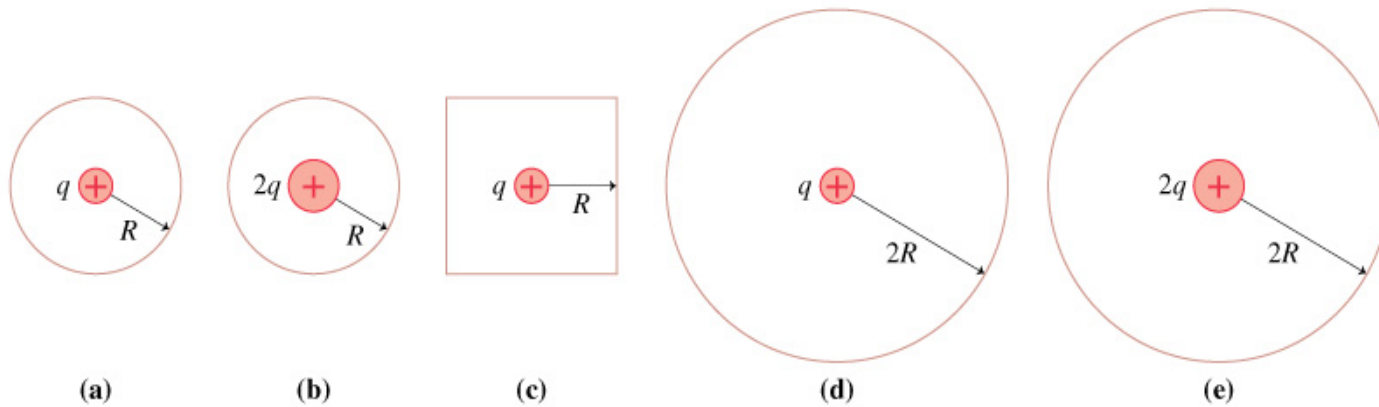
- A.  $0 \text{ Nm}^2/\text{C}$ .
- B.  $1 \text{ Nm}^2/\text{C}$ .
- C.  $2 \text{ Nm}^2/\text{C}$ .
- D.  $4 \text{ Nm}^2/\text{C}$ .
- E.  $6 \text{ Nm}^2/\text{C}$ .

These are two-dimensional cross sections through three-dimensional closed spheres and a cube. Rank order, from largest to smallest, the electric fluxes  $\Phi_a$  to  $\Phi_e$  through surfaces a to e.



- A.  $\Phi_a > \Phi_c > \Phi_b > \Phi_d > \Phi_e$   
 B.  $\Phi_b = \Phi_e > \Phi_a = \Phi_c = \Phi_d$   
 C.  $\Phi_e > \Phi_d > \Phi_b > \Phi_c > \Phi_a$   
 D.  $\Phi_b > \Phi_a > \Phi_c > \Phi_e > \Phi_d$   
 E.  $\Phi_d = \Phi_e > \Phi_c > \Phi_a = \Phi_b$

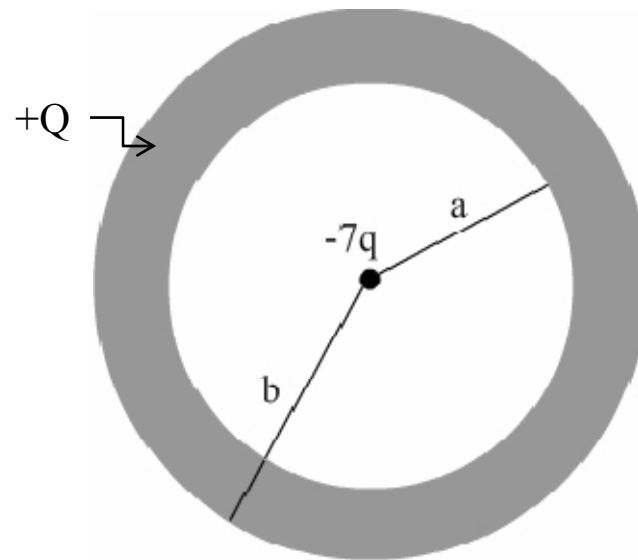
These are two-dimensional cross sections through three-dimensional closed spheres and a cube. Rank order, from largest to smallest, the electric fluxes  $\Phi_a$  to  $\Phi_e$  through surfaces a to e.



- (a) (b) (c) (d) (e)
- A.  $\Phi_a > \Phi_c > \Phi_b > \Phi_d > \Phi_e$
- ✓ B.  $\Phi_b = \Phi_e > \Phi_a = \Phi_c = \Phi_d$
- C.  $\Phi_e > \Phi_d > \Phi_b > \Phi_c > \Phi_a$
- D.  $\Phi_b > \Phi_a > \Phi_c > \Phi_e > \Phi_d$
- E.  $\Phi_d = \Phi_e > \Phi_c > \Phi_a = \Phi_b$

A net charge of  $+q$  is transferred to a spherical *conducting shell* of inner radius  $a$  and outer radius  $b$ . A charge  $(-7q)$  is placed in the center of the shell. What is the charge on the inside of the conducting shell?

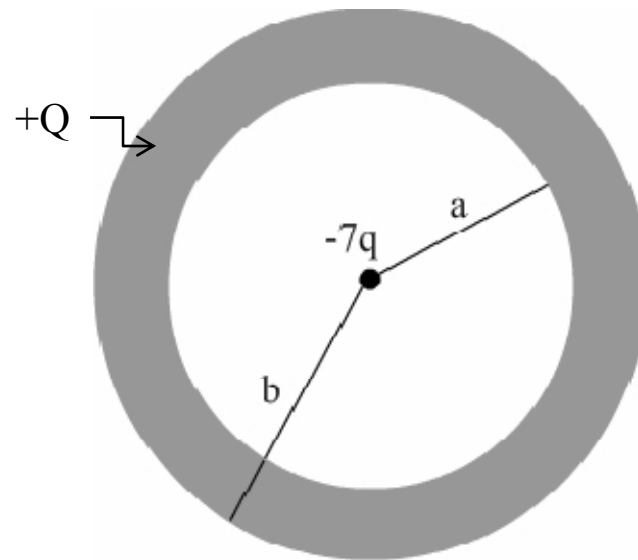
1.  $-7q$
2.  $-Q$
3.  $7q$
4.  $Q$
5.  $Q - 7q$
6.  $Q + 7q$
7.  $7q - Q$





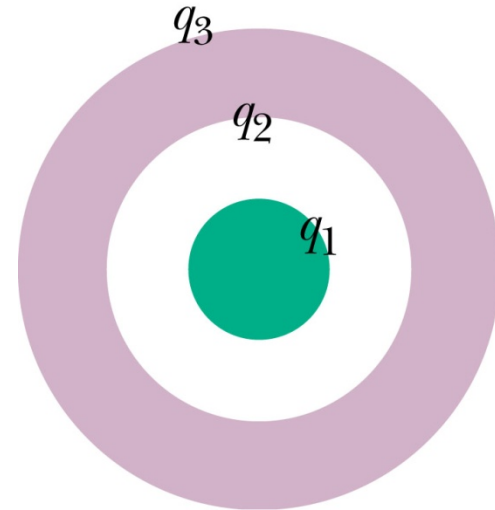
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2.  $-Q$
3.  $7q$
4.  $Q$
5.  $Q - 7q$
6.  $Q + 7q$
7.  $7q - Q$



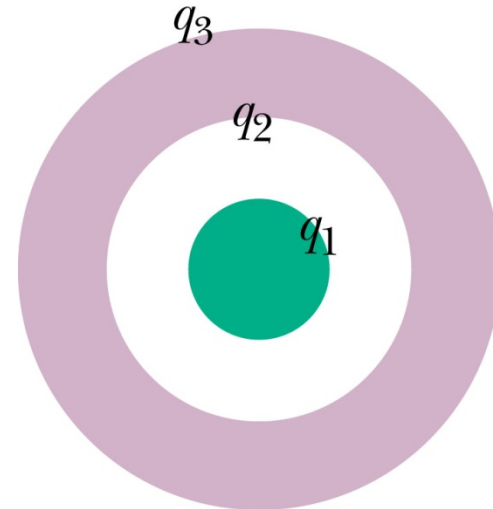
A conducting spherical shell (below) is concentric with a solid conducting sphere. Initially, each conductor carries zero net charge. A charge of  $+2Q$  is placed on the inner surface of the spherical shell. After equilibrium is achieved, the charges on the surface of the solid sphere,  $q_1$ , the inner surface of the spherical shell,  $q_2$ , and the outer surface of the spherical shell,  $q_3$ , are

- a)  $q_1 = -Q, q_2 = +Q, q_3 = +Q$
- b)  $q_1 = 0, q_2 = 0, q_3 = +2Q$
- c)  $q_1 = 0, q_2 = +2Q, q_3 = 0$
- d)  $q_1 = +Q, q_2 = -Q, q_3 = +3Q$



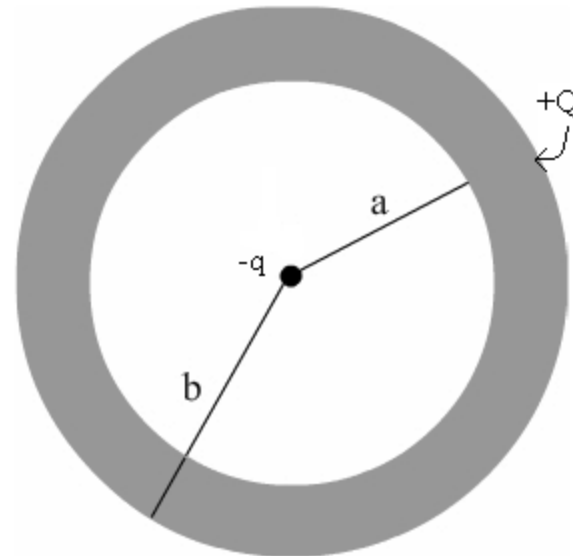
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- a)  $q_1 = -Q, q_2 = +Q, q_3 = +Q$
- b)  $q_1 = 0, q_2 = 0, q_3 = +2Q$
- c)  $q_1 = 0, q_2 = +2Q, q_3 = 0$
- d)  $q_1 = +Q, q_2 = -Q, q_3 = +3Q$



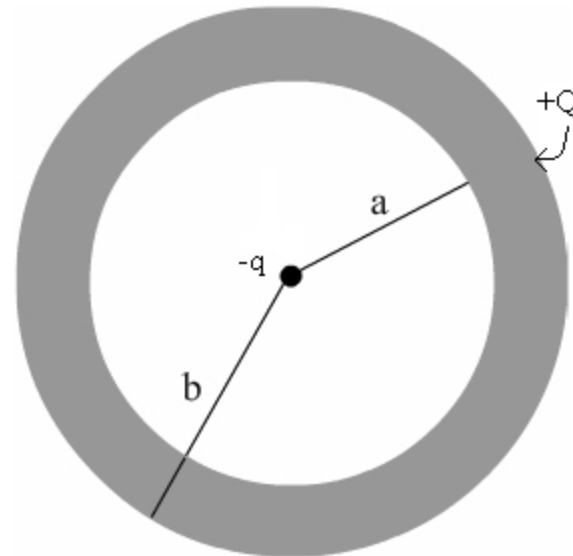
A net charge of  $+Q$  is transferred to a spherical conducting shell of inner radius  $a$  and outer radius  $b$ . A point charge  $-q$  is placed in the center of the shell. What is the charge density on the outside of the conducting shell?

1.  $-q/4\pi b^2$
2.  $-Q/4\pi b^2$
3.  $q/4\pi b^2$
4.  $Q/4\pi b^2$
5.  $(Q - q)/4\pi b^2$
6.  $(Q + q)/4\pi b^2$
7.  $(q - Q)/4\pi b^2$



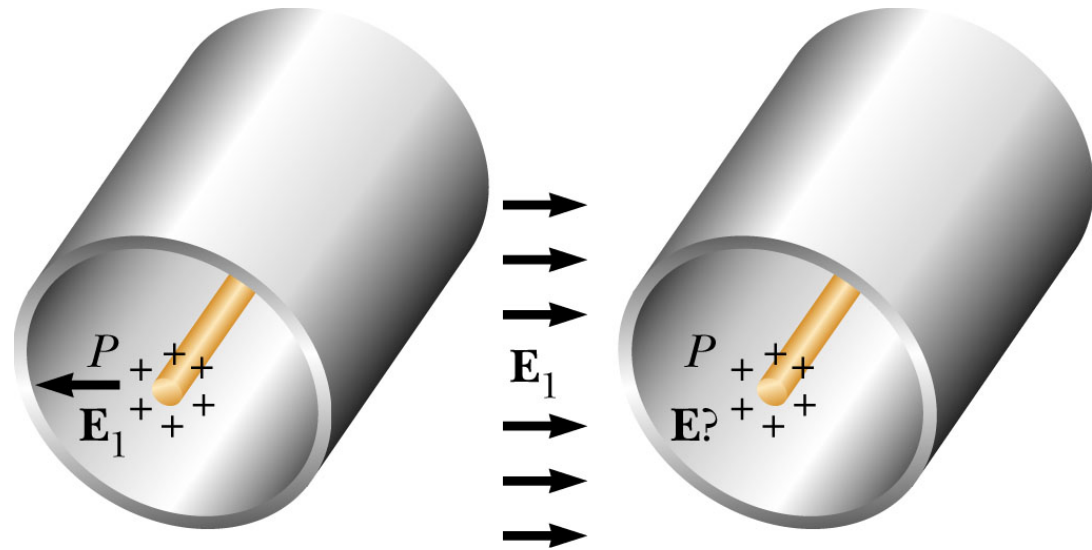
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3.  $q/4\pi b^2$
4.  $Q/4\pi b^2$
5.  **$(Q - q)/4\pi b^2$**
6.  $(Q + q)/4\pi b^2$
7.  $(q - Q)/4\pi b^2$



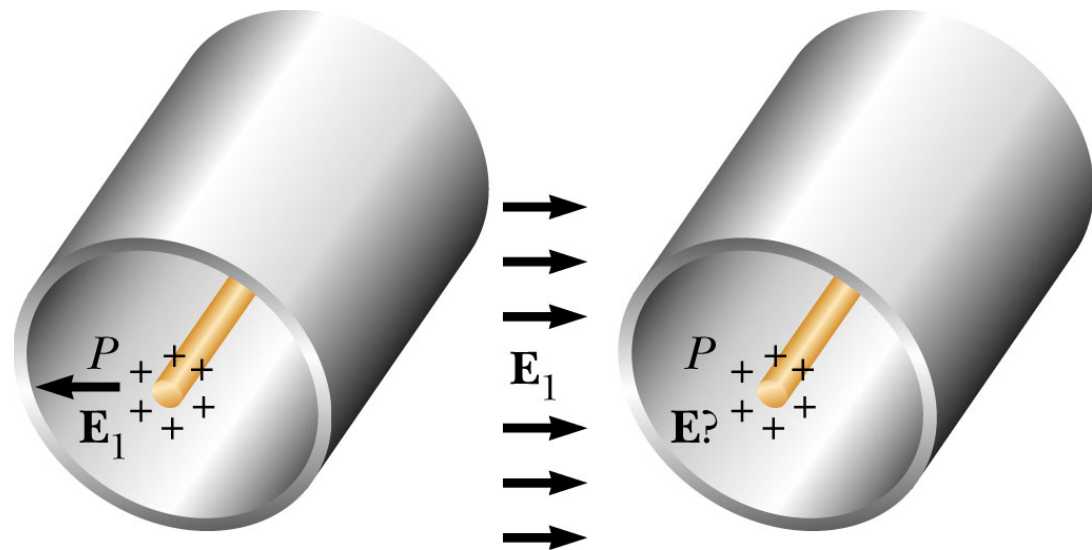
A long cylindrical conducting wire surrounded by a coaxial cylindrical conducting shell of the same length is referred to as a coaxial cable. A total charge of  $+Q$  is placed on the central wire and zero net charge on the outer shell, and the electric field,  $\mathbf{E}_1$ , at a point  $P$  inside the cable, far from the ends, as measured. If the coaxial cable is then placed into a uniform external electric field (of the same magnitude  $\mathbf{E}_1$ ), as shown on the right, the electric field you now will measure at point  $P$  will be a) zero, b) less than  $\mathbf{E}_1$  but not zero, c)  $\mathbf{E}_1$ , or d) greater than  $\mathbf{E}_1$ .

- a) zero,
- b) less than  $\mathbf{E}_1$  but not zero,
- c)  $\mathbf{E}_1$ , or
- d) greater than  $\mathbf{E}_1$ .



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- a) zero,
- b) less than  $\mathbf{E}_1$  but not zero,
- ✓ c)  $\mathbf{E}_1$ , or
- d) greater than  $\mathbf{E}_1$ .




A solid circle and hemisphere have the same radius and are situated in a uniform Electric field. What is the relationship between the flux associated with the circle,  $\varphi_1$ , and the flux associated with the hemisphere,  $\varphi_2$ ?

1.  $\varphi_1 > \varphi_2$
2.  $\varphi_1 < \varphi_2$
3.  $\varphi_1 = \varphi_2$
4. Can't say from the information provided.



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2.  $\varphi_1 < \varphi_2$
-  3.  $\varphi_1 = \varphi_2$
4. Can't say from the information provided.