## COMP 210, FALL 2000

## Lecture 13: Parent-centric Family Trees

## Reminders:

- 1/2 Homework assignment, available today, due Wednesday
- Exam will be handed back on Monday


## Review

1. Spent some time talking about the test
2. Finshed up child-centric family trees. (We have seen 2 versions of this structure; the first was simpler, the second provided some additional functionality.)

## Parent-centric Family Trees

So far, our family trees are only of interest to children. All edges run from child to parent. (In fact, this is natural. Children are the ones who get to study family trees. Parents usually know more details about their descendants than anyone else wants to know. The difference between a parent's ancestors and a child's ancestors is fairly obvious to the child's parents!)
Assume we wanted to reverse the edges in our family tree and create an information structure that would allow us to ask questions about a person's descendants. What sort of data-definition would we write?


These data-definitions refer to each other. We say that they are mutually dependent or mutually recursive. [The definition of list-of-children is also self-referential (recursive).]
;; example data
(make-parent 'Tom 1930 'blue (cons (make-parent 'Ann 1952 'green (cons (make-parent 'Mary 1975 'green empty) empty)) (cons (make-parent 'Mike 1955 'blue empty) empty)) )

What about a set of templates for these data definitions?


The template for a mutually recursive data definition contains one template for each constituent data definition. To reflect the recursion in the data definition, we have added the calls to f and g . When the template uses a selector function that refers to an instance of the other data-definition, we have included the appropriate call to the template for that data-definition. In this way, the template reflects the coupling of the data-definitions.

Let's develop the program count-members which consumes a parent and returns the number of people in the family tree rooted at the parent.
;; count-members: parent -> number
; Purpose: tally the number of people in the tree rooted at parent (define (count-members a-parent)
(+1 (count-children (parent-children a-parent) )) )
;; count-children: list-of-children -> number
;; Purpose: compute how many people are in the family trees rooted at children
(define (count-children a-loc)
(cond
[(empty? a-loc) 0]
[(cons? a-loc)
(+
(count-members (first a-loc))
(count-children (rest a-loc)))]
))

The template gives us the code.

Now, write at-least-two-children, a program that consumes a parent and returns a list of the names of all parents in the tree with at least two children.
;; at-least-two-children: parent -> list-of-symbol
; Purpose: return a list of all people in the tree with at least 2 children (define (at-least-two-children a-parent)
(cond
[(> (num-children (parent-children a-parent)) 2) (cons (parent-name a-parent)
(children-with-two-children (parent-children a-parent)))]
[else (children-with-two-children (parent-children a-parent))]
))
;; children-with-two-children: list-of-children -> list-of-symbol
; Purpose: returns a list of all children with at least 2 children (define (children-with-two-children a-loc)
(cond
[(empty? a-loc) empty]
[(cons? a-loc)
(append (at-least-two-children (first a-loc))
$\uparrow($ children-with-two-children (rest a-loc)))] ))
;; num-children: list-of-children -> num
;" Purpose: counts how many children are in the list (define (num-children a-loc)
(cond
[(empty? a-loc) 0]
[else (+ 1 (num-children (rest a-loc)))] ))


This is just length--a
Scheme built-in function

